Exhaustivity through the maxim of Relation

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He likes blue.
→ He doesn't like red, green.

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Outline

- 1. Diagnosis
- 2. Theory
- 3. Results
- 4. Conclusion and discussion

- (2) a. Of red, green and blue, which colours does John like?
 b. He likes blue.
 → He doesn't like red
 - c. He likes blue, or blue and red.

 He doesn't like red

 He doesn't like red

- (2) a. Of red, green and blue, which colours does John like?
 - b. He likes blue.
 → He doesn't like red
 - c. He likes blue, or blue and red.

 → He doesn't like red

Intuition

(2b) and (2c) differ in their attentive content.

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 - b. He likes blue.
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 He doesn't like red

Intuition

(2b) and (2c) differ in their attentive content.

• (2c) draws attention to the poss. that John likes blue and red.

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(2b) and (2c) differ in their attentive content.

- (2c) draws attention to the poss. that John likes blue and red.
- (And so does (2a).)

- (2) a. Of red, green and blue, which colours does John like?
 - b. He likes blue.
 → He doesn't like red
 - c. He likes blue, or blue and red.

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- (2c) draws attention to the poss. that John likes blue and red.
- ▶ (And so does (2a).)
- (2b) doesn't; it leaves the possibility unattended.

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- (2) a. Of red, green and blue, which colours does John like?
 - b. He likes blue.
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 - b. He likes blue. → He doesn't like red
 - → He doesn't like red c. He likes blue, or blue and red.

Intuition

a richer (2b) and (2c) differ in their attentive content. semantics

- (2c) draws attention to the poss. that John likes blue and red.
- (And so does (2a).)
- (2b) doesn't; it leaves the possibility unattended.

Diagnosis

- (2) a. Of red, green and blue, which colours does John like?
 - b. He likes blue. → He doesn't like red
 - c. He likes blue, or blue and red. → He doesn't like red

Intuition

a richer (2b) and (2c) differ in their attentive content. semantics

- (2c) draws attention to the poss. that John likes blue and red.
- (And so does (2a).)
- (2b) doesn't; it leaves the possibility unattended.

2. Theory

- 2.1. Translation into logic
- 2.2. Semantics
- 2.3. Pragmatics

(3) a. Which colours (of red, green and blue) does John like?
b. He likes blue.

→ He doesn't like red

→ He doesn't like red

- (3) a. Which colours (of red and blue) does John like? b. He likes blue. → He doesn't like red
 - → He doesn't like red c. He likes blue, or blue and red.

- (3) a. There are colours (among red and blue) that John likes.
 - b. He likes blue.
 - → He doesn't like red
 - c. He likes blue, or blue and red.
- → He doesn't like red

- (3) a. John likes blue, red, or blue and red.
 - b. He likes blue.
 - c. He likes blue, or blue and red.

- → He doesn't like red
- → He doesn't like red

- (3) a. John likes blue, red, or blue and red.
 - b. He likes blue.
 - c. He likes blue, or blue and red.

(3) a. John likes blue, red, or blue and red. $p \lor q \lor (p \land q)$ b. He likes blue. p c. He likes blue, or blue and red. $p \lor (p \land q)$

Possibility: a set of worlds

(a,b)

Possibility: a set of worlds (a,b)

▶ *Proposition*: a set of possibilities $(A, B, [\varphi])$

Possibility: a set of worlds (a, b)

▶ Proposition: a set of possibilities $(A, B, [\varphi])$

• Informative content: $|\varphi| \coloneqq \bigcup [\varphi]$

- Possibility: a set of worlds
- *Proposition*: a set of possibilities $(A, B, [\varphi])$
- Informative content: $|\varphi| := \bigcup [\varphi]$

(3a)
$$[p \lor q \lor (p \land q)]$$
 (3b) $[p]$

(3c)
$$[p \lor (p \land q)]$$

(a,b)

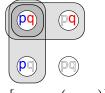
Possibility: a set of worlds

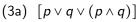
(a,b)

Proposition: a set of possibilities

 $(A, B, \lceil \varphi \rceil)$

Informative content: $|\varphi| := \bigcup [\varphi]$















(3c)
$$[p \lor (p \land q)]$$

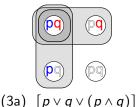
Possibility: a set of worlds

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(3c)
$$[p \lor (p \land q)]$$

Entailment

A entails $B, A \models B$, iff

- (i) $\bigcup A \subseteq \bigcup B$; and
- (ii) for all $b \in B$, if $b \cap \bigcup A \neq \emptyset$, $b \cap \bigcup A \in A$

Possibility: a set of worlds

(a,b)

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(3a)
$$[p \lor q \lor (p \land q)]$$

(3b)
$$[p]$$

(3c)
$$[p \lor (p \land q)]$$

Entailment

A entails B, $A \models B$, iff

- (i) $\bigcup A \subseteq \bigcup B$; and
- → at least as informative
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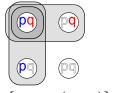
Possibility: a set of worlds

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(3a)
$$[p \lor q \lor (p \land q)]$$

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$$[p]$$

(3c)
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Entailment

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- (i) $\bigcup A \subseteq \bigcup B$; and \longrightarrow at least as informative
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2.2. Semantics (Roelofsen, 2011)

Possibility: a set of worlds

(a,b)

Proposition: a set of possibilities

 $(A, B, \lceil \varphi \rceil)$

Informative content: $|\varphi| := \bigcup [\varphi]$











(3a)
$$[p \lor q \lor (p \land q)]$$

(3b)
$$[p]$$

(3c)
$$[p \lor (p \land q)]$$

Entailment

A entails B, $A \models B$, iff

- (i) $\bigcup A \subseteq \bigcup B$; and \longrightarrow at least as informative
- (ii) for all $b \in B$, if $b \cap \bigcup A \neq \emptyset$, $b \cap \bigcup A \in A$ \longrightarrow at least as attentive

Now, (3c) = (3a), but $(3b) \neq (3a)$.

The relevant maxims

- 1. Quality:
- 2. Quantity:
- 3. Relation:

The relevant maxims

- 1. Quality:
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The relevant maxims

- 1. Quality: $s \subseteq \bigcup R$.
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The relevant maxims

- 1. Quality: $s \subseteq \bigcup R$.
- 2. **Quantity**: For all $Q' \subseteq Q$, if $s \subseteq \bigcup Q'$ then $\bigcup R \subseteq \bigcup Q'$.
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The relevant maxims

- 1. Quality: $s \subseteq \bigcup R$.
- 2. **Quantity**: For all $Q' \subseteq Q$, if $s \subseteq \bigcup Q'$ then $\bigcup R \subseteq \bigcup Q'$.
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The relevant maxims

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- (4) Did John go to the party? It was raining.

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The relevant maxims

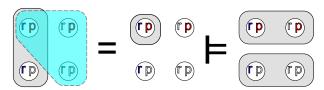
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The relevant maxims

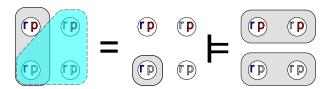
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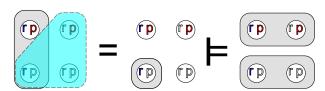
The relevant maxims

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The relevant maxims

- 1. Quality: $s \subseteq \bigcup R$.
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- 3. **Relation**: $\{r \cap s \mid r \in R\} \models Q$.
- (4) Did John go to the party? It was raining. → If it rained, John {went / didn't go}.



The relevant maxims

- 1. Quality: $s \subseteq \bigcup R$.
- 2. **Quantity**: For all $Q' \subseteq Q$, if $s \subseteq \bigcup Q'$ then $\bigcup R \subseteq \bigcup Q'$.
- 3. **Relation**: $\{r \cap s \mid r \in R\} \vDash Q$.

(cf. Grice, 1975; Groenendijk and Stokhof, 1984; Roberts, 1996; Spector, 2007)

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- 1. Quality: $s \subseteq \bigcup R$.
- 2. **Quantity**: For all $Q' \subseteq Q$, if $s \subseteq \bigcup Q'$ then $\bigcup R \subseteq \bigcup Q'$.
- 3. **Relation**: $\{r \cap s \mid r \in R\} \vDash Q$.

(3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$ b. He likes blue. (p)

c. He likes blue, or blue and red. $(p \lor (p \land q))$

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)

c. He likes blue, or blue and red.
$$(p \lor (p \land q))$$

1.
$$s \subseteq |p \vee (p \wedge q)|$$

(Quality)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)

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$$s \subseteq |p \vee (p \wedge q)| = |p|$$

(Quality)

2. $s \not = |q|$

(Quantity)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
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c. He likes blue, or blue and red.
$$(p \lor (p \land q))$$

1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality)
2. $s \not = |q|$ (Quantity)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)

c. He likes blue, or blue and red.
$$(p \lor (p \land q))$$

1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality)
2. $s \not\equiv |q|$ (Quantity)
3. - $p \lor (p \land q) \models p \lor q \lor (p \land q)$ (Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)

1.
$$s \subseteq |p|$$
 (Quality)

c. He likes blue, or blue and red. $(p \lor (p \land q))$

1.
$$s \subseteq |p \vee (p \wedge q)| = |p|$$

(Quality)

(Quantity)

$$b_{\wedge}(b_{\vee}d) \models b_{\wedge}d_{\wedge}(b_{\vee}d)$$

(Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$ (Quality) 2. $s \not\subseteq |q|$ (Quantity)

- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality)
 - 2. $s \not= |q|$ (Quantity)
 - 3. $pv(p \land q) \models pvqv(p \land q)$ (Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$
 - $b \nvDash b \wedge d \wedge (b \vee d)$ 2. $s \notin |q|$

(Quality) (Quantity)

c. He likes blue, or blue and red. $(p \lor (p \land q))$

1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. $s \notin |q|$

(Quantity)

3. -

 $pv(p \wedge q) \models pvqv(p \wedge q)$

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$ 2. $s \notin |q|$

 $b \nvDash_{iii} b \land d \land (b \lor d)$

(Quality) (Quantity)





- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

- 2. s ⊈ |q|
- $p_{\lambda}(b \vee d) \models b_{\lambda}(a_{\lambda}(b \vee d))$

(Quantity)

3. -

(Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$
 - 2. $s \notin |q|$

$$b \not\models b \land d \land (b \lor d)$$

(Quality) (Quantity)





- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. s ⊈ |q|

 $p_{\lambda}(b \vee d) \models b_{\lambda}(a \wedge d)$

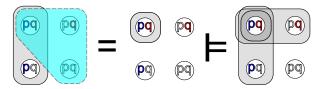
(Quantity)

3. -

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$
 - 2. s ⊈ |q|

$$b \nvDash_{iii} b \land d \land (b \lor d)$$

(Quality) (Quantity)



- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. *s* ⊈ |*q*|

(Quantity)

3. -

 $b_{\Lambda}(b_{\Lambda}d) \models b_{\Lambda}d_{\Lambda}(b_{\Lambda}d)$

(Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$
 - 2. $s \notin |q|$



(Quality) (Quantity)





- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. *s* ⊈ |*q*|

 $p_{\lambda}(b \vee d) \models b_{\lambda}(a_{\lambda}(b \vee d))$

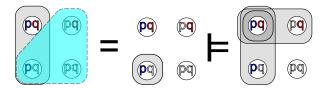
(Quantity)

3. -

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$
 - 2. s ⊈ |q|

$$b \not\models b \land d \land (b \lor d)$$

(Quality) (Quantity)



- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. s ⊈ |q|

(Quantity)

3. -

 $b_{\lambda}(b \vee d) \models b_{\lambda}d_{\lambda}(b \vee d)$

(Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)

```
1. s \subseteq |p|

2. s \notin |q|
p \not\models p \land q \land (p \land q)
                                                                                                                    (Quality)
                                                                                                                 (Quantity)
3. s \subseteq |\overline{p}| \cup |q| \text{ or } s \subseteq |\overline{p}| \cup |\overline{a}|
                                                                                                                  (Relation)
```

- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$ (Quality)
 - 2. $s \notin |q|$ (Quantity) $pv(p \wedge q) \models pvqv(p \wedge q)$
 - 3. -(Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$ 2. $s \notin |q|$ $p \not\models p \land q \land (p \land q)$ (Quality) (Quantity)
 - 3. $s \subseteq |\overline{p}| \cup |q| \text{ or } s \subseteq |\overline{p}| \cup |\overline{a}|$ (Relation)

- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$ (Quality)
 - 2. *s* ⊈ |*q*| (Quantity)
 - $pv(p \wedge q) \models pvqv(p \wedge q)$ 3. -(Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - 1. $s \subseteq |p|$ (Quality) 2. $s \notin |q|$ (Quantity) 3. $s \subseteq |p| \cup |q|$ or $s \subseteq |p| \cup |q|$ (Relation)
 - 4. $s \subseteq \overline{|q|}$

- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \lor (p \land q)| = |p|$ (Quality)
 - 2. $s \not= |q|$ (Quantity)
 - 3. $pv(p \land q) \models pvqv(p \land q)$ (Relation)

- (3) a. John likes blue, red, or blue and red. $(p \lor q \lor (p \land q))$
 - b. He likes blue. (p)
 - $b \nvDash_{iii} b \land d \land (b \lor d)$ 1. $s \subseteq |p|$ (Quality) 2. *s* ⊈ |*q*| (Quantity)
 - 3. $s \subseteq |p| \cup |q|$ or $s \subseteq |p| \cup |q|$ (Relation)
 - 4. (sign) exhaustivity!

- c. He likes blue, or blue and red. $(p \lor (p \land q))$
 - 1. $s \subseteq |p \vee (p \wedge q)| = |p|$
 - (Quality) (Quantity)
 - 2. $s \notin |q|$
 - $pv(p \land q) \models pvqv(p \land q)$ 3. -

(Relation)

4. Conclusion and discussion

- 4.1. Main finding
- 4.2. The opinionatedness assumption
- 4.3. 'Alternatives'
- 4.4. Other suitable semantics
- 4.5. 'Gricean'?

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Take-home messages:

- Pragmatic reasoning is sensitive to attentive content.
- Exhaustivity implicatures are conversational implicatures.

Most existing work (since Mill, 1867):

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1. The speaker lacks the belief that q

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- 1. The speaker lacks the belief that q (Quantity)
- 2. She believes either q or $\neg q$ (Context)
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Counterexample:

(5) I'm asking the wrong person, but which colours does J. like? He likes blue and red. → He doesn't like green.

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Instead, in my approach:

Opinionatedness follows from Quality + Relation implicatures



Existing approaches (since forever):

Why did the speaker not say "p ∧ q"?"

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Beware:

- ▶ The 'alternatives' are fully determined by the maxims.
- Speakers need not reason in terms of alternatives.

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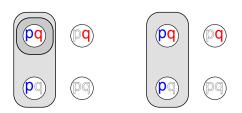
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- ► The connectives are still algebraically 'basic'.

Besides: this is the only way.

The end

Contact

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Article

Attentive Pragmatics: Exhaustivity and the Final Rise.
 ESSLLI StuS proceedings (staff.science.uva.nl/~westera/)

Thanks to the *Netherlands Organisation for Scientific Research* (NWO) for financial support; to F. Roelofsen, J. Groenendijk, C. Cummins, K. von Fintel, the audiences of *SemDial*, *UCSC S-Circle*, *SPE6*, *ICL*, *ESSLLI StuS*, and many anonymous reviewers for valuable comments.

Appendix A. Semantics (Roelofsen, 2011)

Ingredients

- Possibility: a set of worlds (a, b)
- *Proposition*: a set of possibilities $(A, B, [\varphi])$
- Informative content: $|\varphi| := \bigcup [\varphi]$
- A restricted to b, $A_b := \{a \cap b \mid a \in A, a \cap b \neq \emptyset\}$

Semantics of relevant fragment

- 1. [p] = {{ $w \in \mathbf{Worlds} \mid w(p) = \text{true}$ }}
- 2. $[\varphi \lor \psi] = ([\varphi] \cup [\psi])_{|\varphi| \cup |\psi|} = [\varphi] \cup [\psi]$
- 3. $[\varphi \wedge \psi] = ([\varphi] \cup [\psi])_{|\varphi| \cap |\psi|}$

Entailment

A entails B, $A \models B$, iff (i) $\bigcup A \subseteq \bigcup B$ and (ii) $B_{\bigcup A} \subseteq A$.



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- ▶ Roberts's relevance: $R_{CG} \models Q$ (CG = Common Ground)

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- 'My' Maxim of Relation: $R_s = Q$
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Roberts's requirement is too strong:

- ▶ The participants need not *already know* how *R* is relevant.
- They need only be able to figure it out.

E.g., in case of exhaustivity:

1.
$$s \subseteq |p|$$
 (Quality)

2.
$$s \notin |q|$$
 (Quantity)

3.
$$s \subseteq \overline{|p|} \cup |q|$$
 or $s \subseteq \overline{|p|} \cup \overline{|q|}$ (Relation)

4.
$$s \subseteq \overline{|q|}$$

Chierchia, et al. (2008), and much subsequent discussion

(6) Which books did every student read? Every student read O. or K.L. → No student read both.

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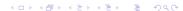
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The 'embedded' implicature of (6) is in fact predicted.



References

- Chierchia, G., Fox, D., & Spector, B. (2008). The grammatical view of scalar implicatures and the relationship between semantics and pragmatics.
- ► Ciardelli, I. (2009). Inquisitive semantics and intermediate logics.
- Coppock, E., & Brochhagen, T. (2013). Raising and resolving issues with scalar modifiers.
- Grice, H. (1975). Logic and conversation.
- Groenendijk, J., & Stokhof, M. (1984). Studies on the semantics of questions and the pragmatics of answers.
- Mill, J.S. (1867). An Examination of Sir William Hamilton's Philosophy.
- ▶ Roberts, C. (1996). Information structure in discourse.
- Roelofsen, F. (2011). Information and attention.
- Sauerland, U. (2004). Scalar implicatures in complex sentences.
- Westera, M. (2012). Meanings as proposals: a new semantic foundation for Gricean pragmatics.

